

## Introduction

- In several operational and research centers, much effort has been devoted to the assimilation of precipitation observations.
- However, obtaining benefits from precipitation assimilation has been a great challenge.
  - Methods modifying the model's moisture and sometimes temperature profiles are generally successful in forcing the forecasts precipitation to be close to the observed precipitation during the assimilation [e.g., nudging method in the North American Regional Reanalysis (NARR; Mesinger et al. 2006)], but models tend to "forget" the impact of precipitation assimilation and soon lose their extra forecast skills (Errico et al., 2007; Tsuyuki and Miyoshi, 2007).
- It is expected that assimilation of precipitation using the EnKF method can efficiently change another key dynamical variable, namely, potential vorticity field.
  - The highly non-Gaussian nature of precipitation variables poses severe difficulties.
  - Several transformations on the precipitation variables, such as a simple logarithm, have been used in other studies of precipitation and cloud assimilation (e.g., Bauer et al. 2011; Lopez 2012, ECMWF Technical Memorandum 661).
- Objective:** Observation system simulation experiments (OSSE) with a simplified atmospheric GCM.
  - Examine the value and feasibility of precipitation assimilation using a Local Ensemble Transform Kalman Filter (LETKF).
  - A **general transformation algorithm** is introduced to create an intermediate Gaussian variable related to the precipitation data based on the precipitation probability distribution of the model climatology.

## Transformation method

- The "Gaussian anamorphosis" (also used by Schöniger et al. 2012 in hydrology):

$$y_{trans} = G^{-1}[F(y)]$$

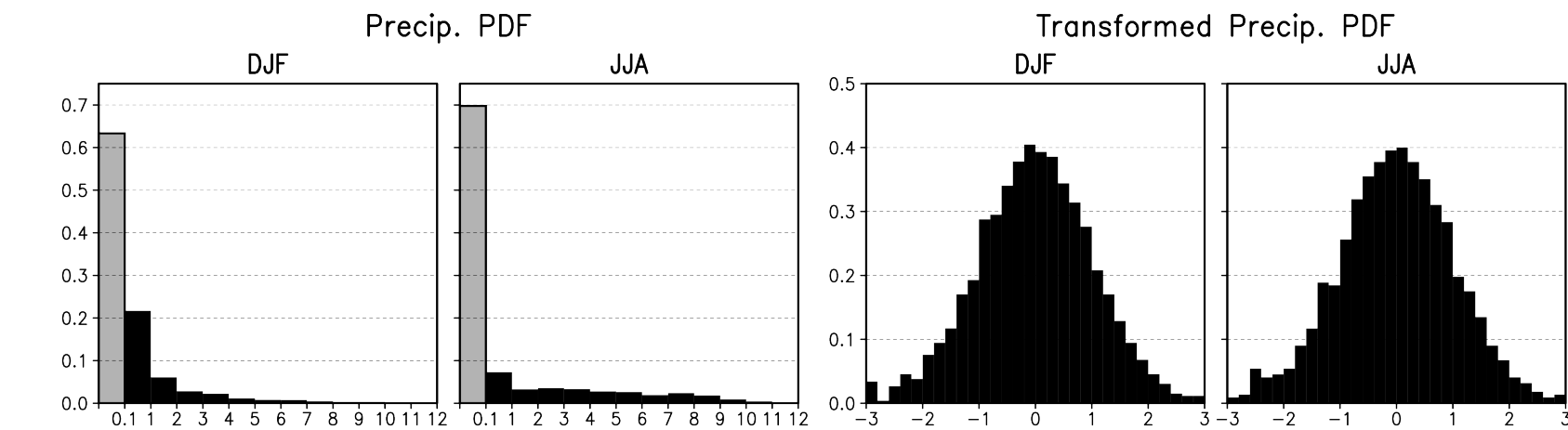
$y$  : precipitation variable

$F$  : Cumulative distribution function (CDF) of precipitation variables based on the 10-year model climatology at each grid and each season.

$G^{-1}$  : Inverse CDF of normal distribution.

$$G^{-1}(x) = \sqrt{2} \operatorname{erf}^{-1}(2x-1)$$

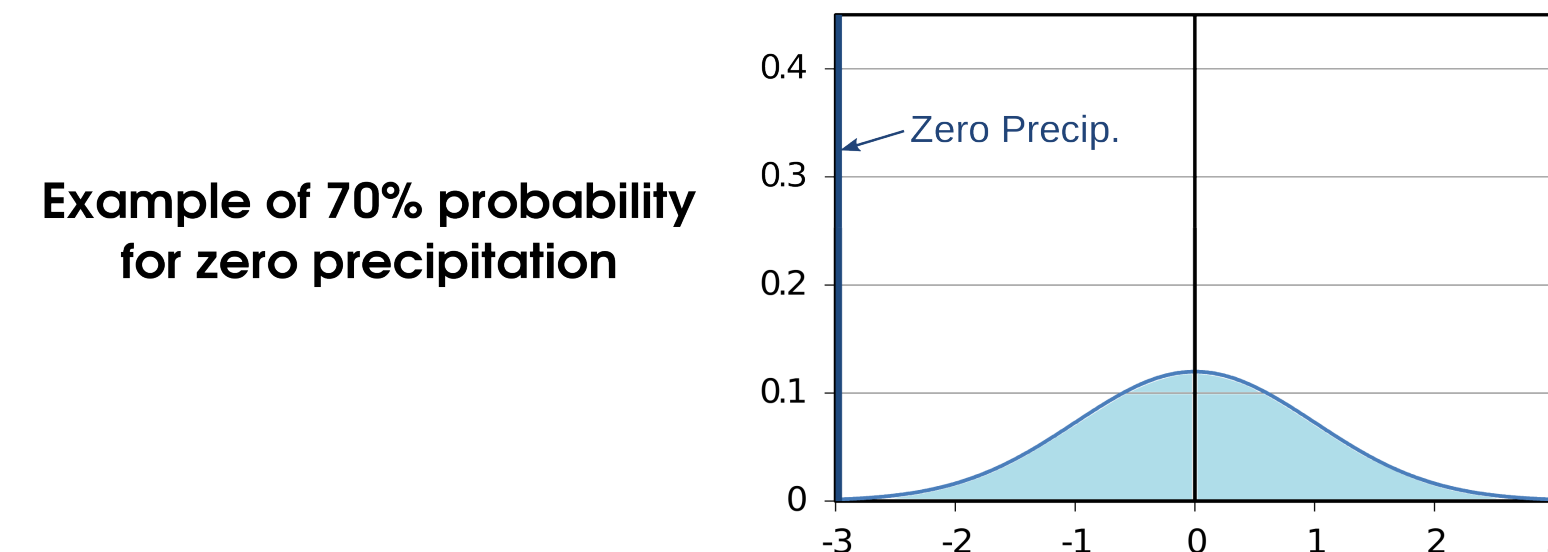
Example of precipitation distribution near Maryland (38.97 N, -78.75 W)



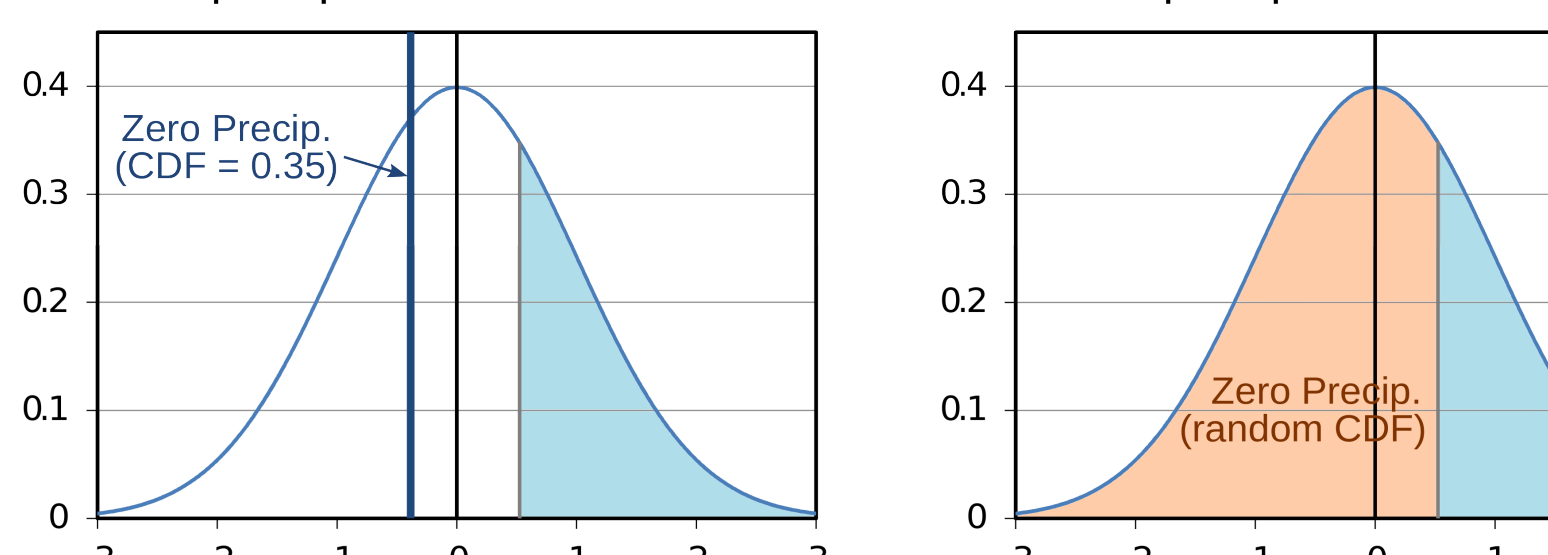
- LETKF is performed on the transformed space.
  - Variables transformed:  $y_{pp}^{b(i)}$ ,  $\bar{y}_{pp}^b$ ,  $y_{pp}^o$ .
  - The observation errors associated with each observation also have to be transformed. Conceptually:  $\sigma_{trans}^o \approx (y^o + \sigma^o)_{trans} - y_{trans}^o \approx y_{trans}^o - (y^o - \sigma^o)_{trans}$

## Handling the zero-precipitation data

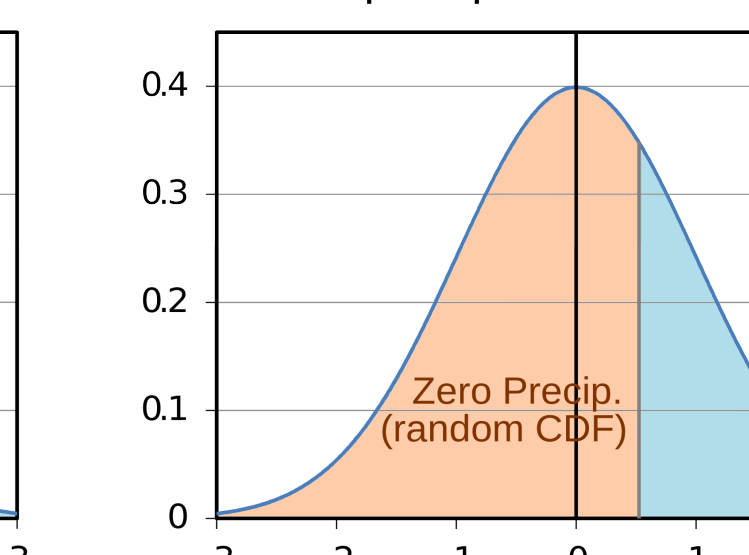
(a) Consider only the non-zero precipitation value in the Gaussian transformation.



(b) Consider all precipitation data in the Gaussian transformation, assign **middle values** of no-rain cumulative probability for all zero precipitations.



(c) Consider all precipitation data in the Gaussian transformation, assign **uniformly distributed random values** within no-rain cumulative probability for all zero precipitations.



## Experimental setup

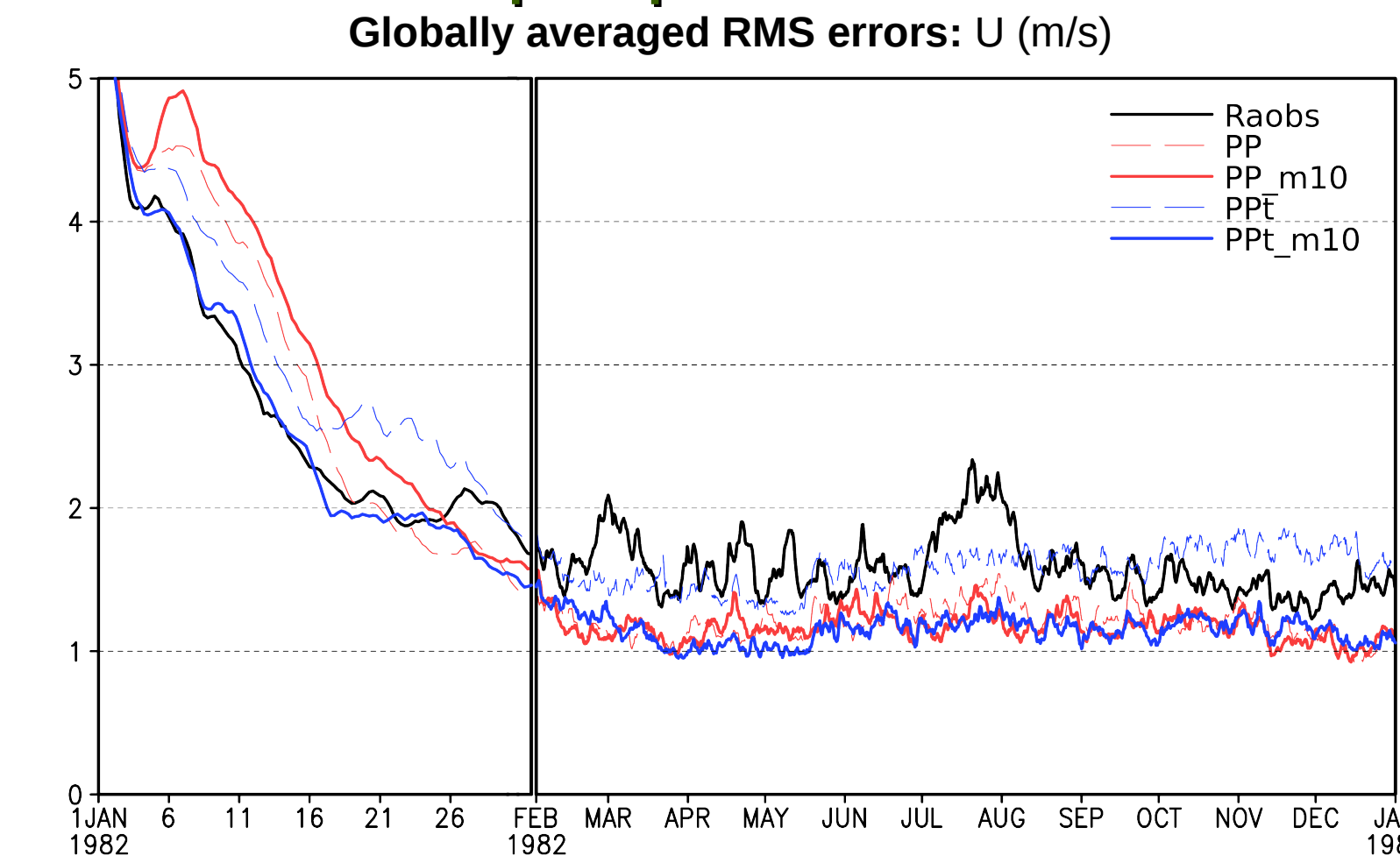
- Ensemble size = 20 / Horizontal localization scale = 500 km / Adaptive inflation (Miyoshi, 2011)
- Observation errors for precipitation observations = 20% of observed value.
- Selection of precipitation observations:
  - Traditional criterion: only assimilating precipitation at locations with observed precipitation (> 0.1 mm/6h).
  - A new criterion: only assimilating precipitation at locations where the number of precipitating members >= a given threshold (10 in this study), even if no precipitation is observed.

	Assimilated observations		Gaussian transformation handling zero precipitation with method (b) (see above)	Criteria for precipitation assimilation	
	Conventional radiosondes	Global precipitation		(i) prcp > 0.1 mm	(ii) # of prcp members >= 10
<b>Raobs</b>	X			X	
<b>PP</b>	X	X		X	
<b>PP_m10</b>	X	X			X
<b>PPt</b>	X	X	X	X	
<b>PPt_m10</b>	X	X	X		X

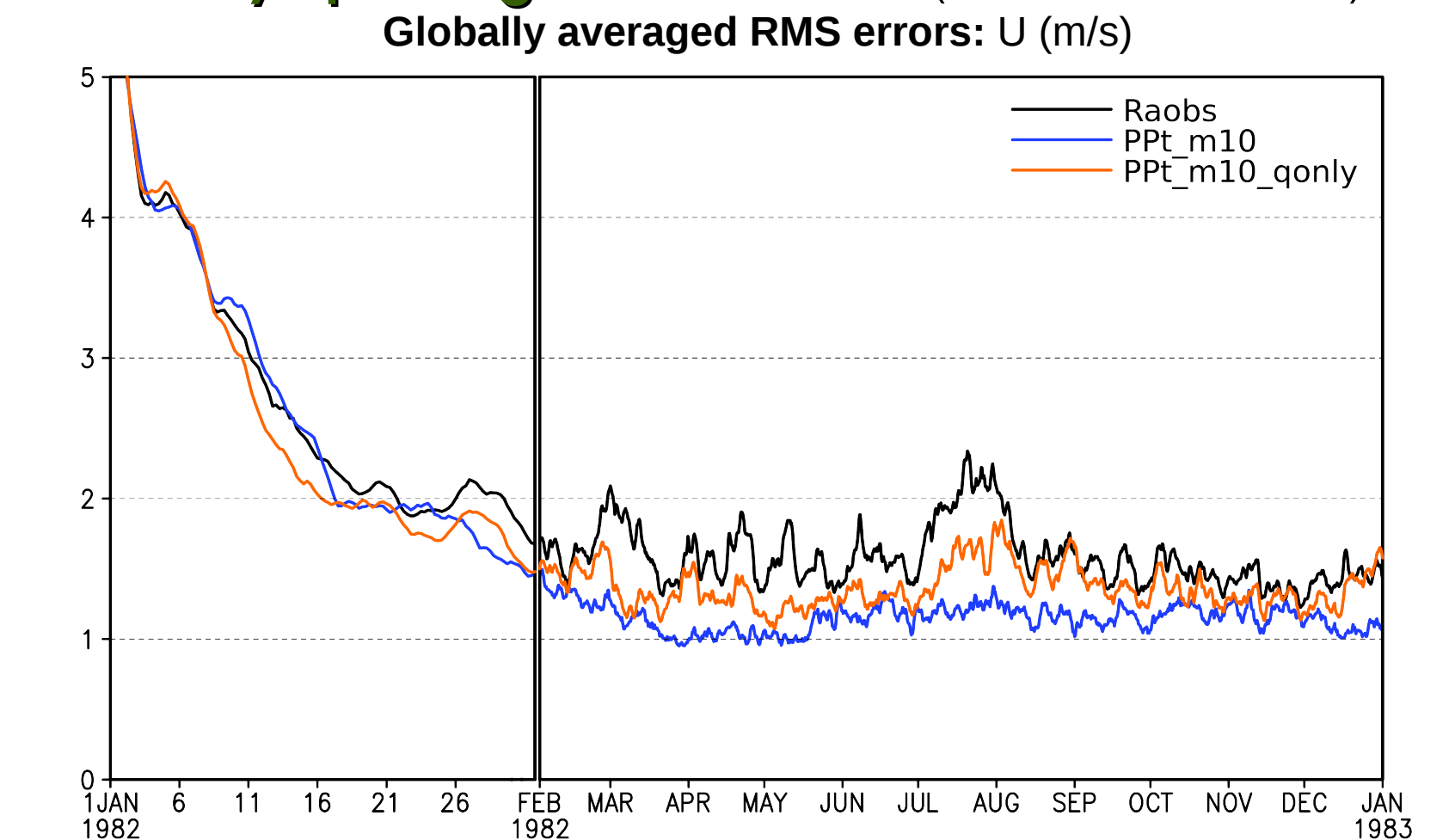
- PPt\_m10\_qonly:** Same as PPt\_m10, but only updating the moisture field for precipitation observations (variable localization).
- PPtp\_m10 / PPtr\_m10:** Same as PPt\_m10, but handling zero precipitation with method (a) / (c).
- PPt\_m10\_10.5 / PPt\_m10\_10.3:** Same as PPt\_m10, but with reduced localization scale (50% / 30%) for precipitation observations.
- PP\_err / PPt\_m10\_err:** Same as PP / PPt\_m10, but with greater observation errors (50% of observed values) for precipitation.

## Results Analysis errors during the spin-up and remaining 1-year period

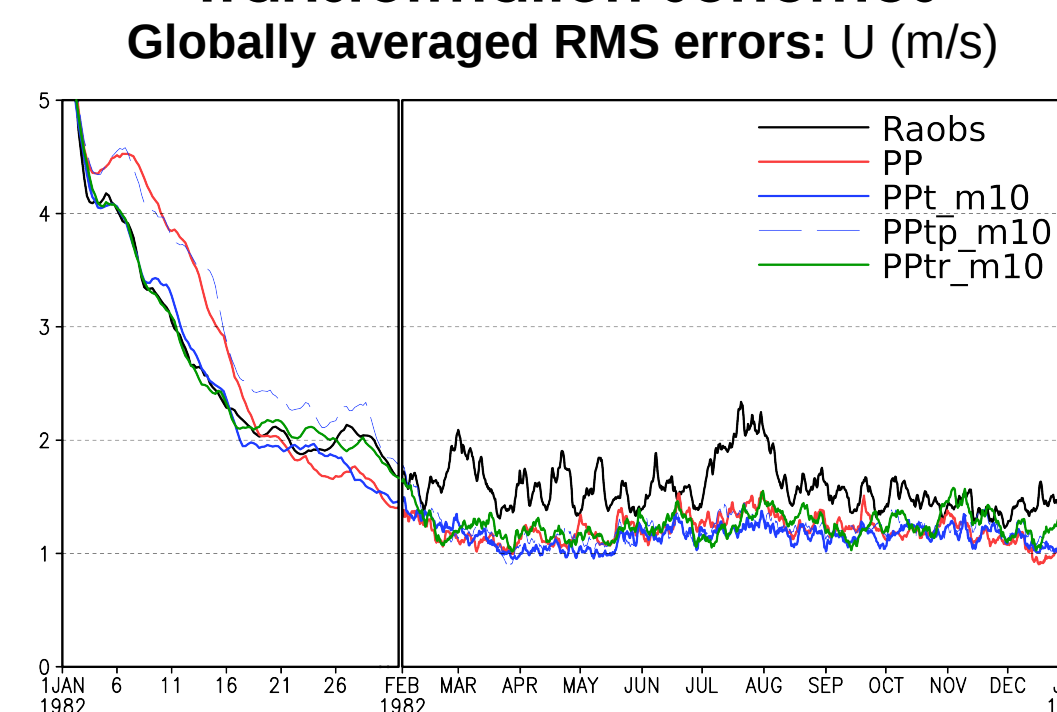
### Effect of precipitation assimilation



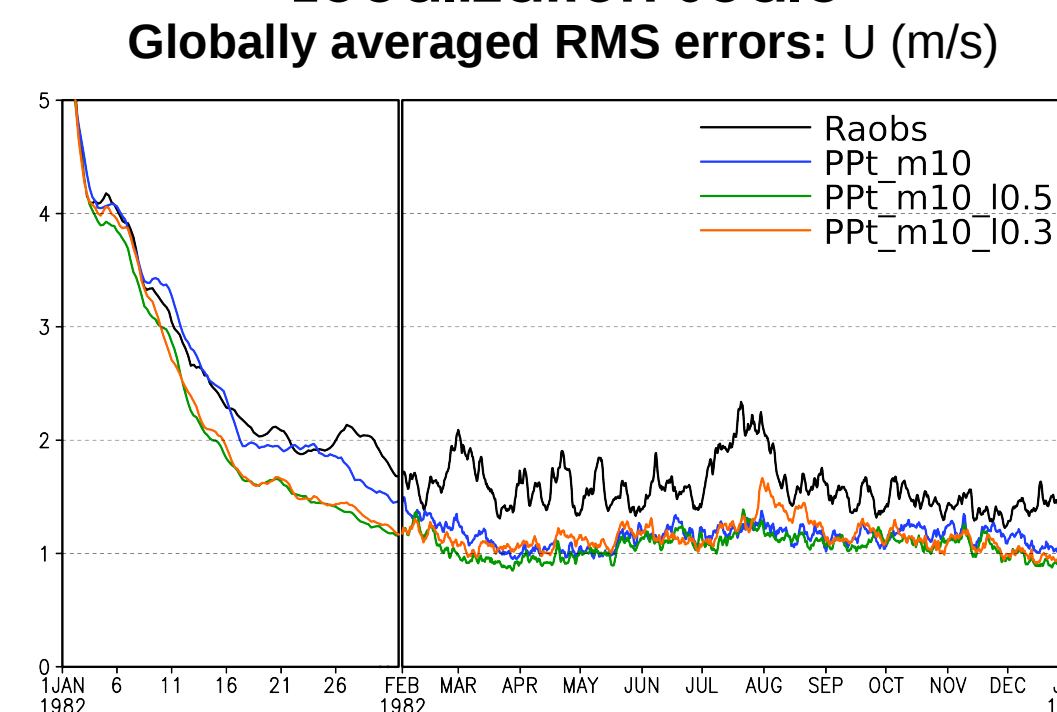
### Only updating moisture field (variable localization)



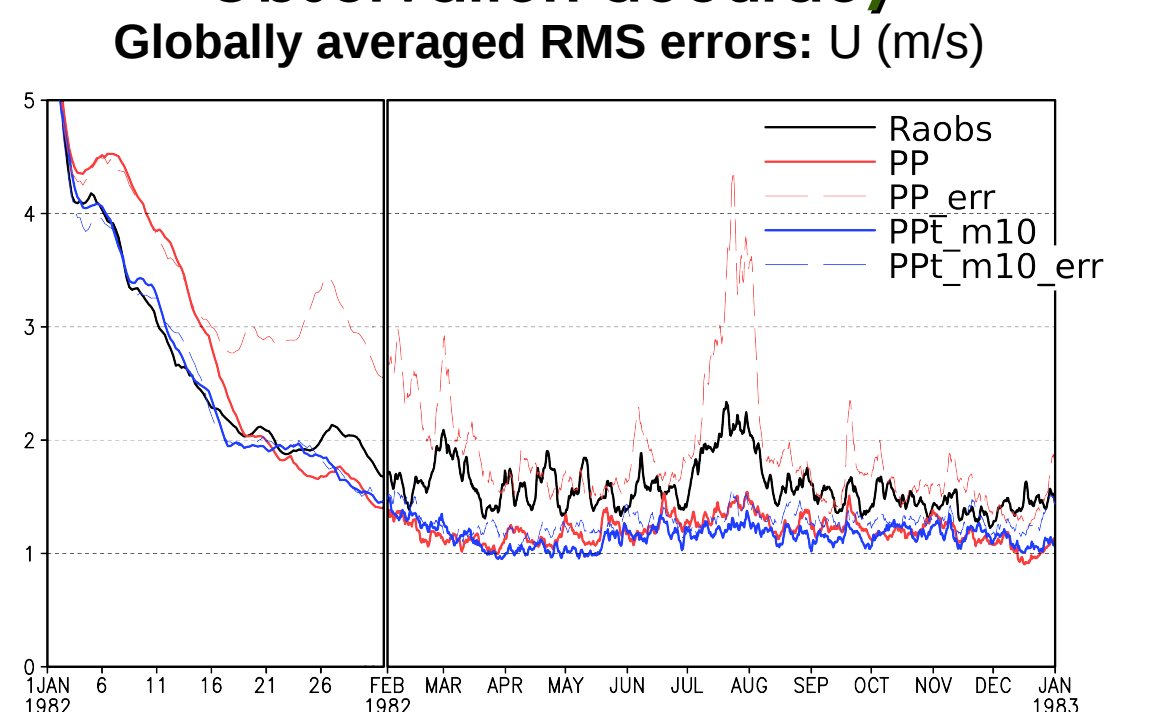
### Transformation schemes



### Localization scale



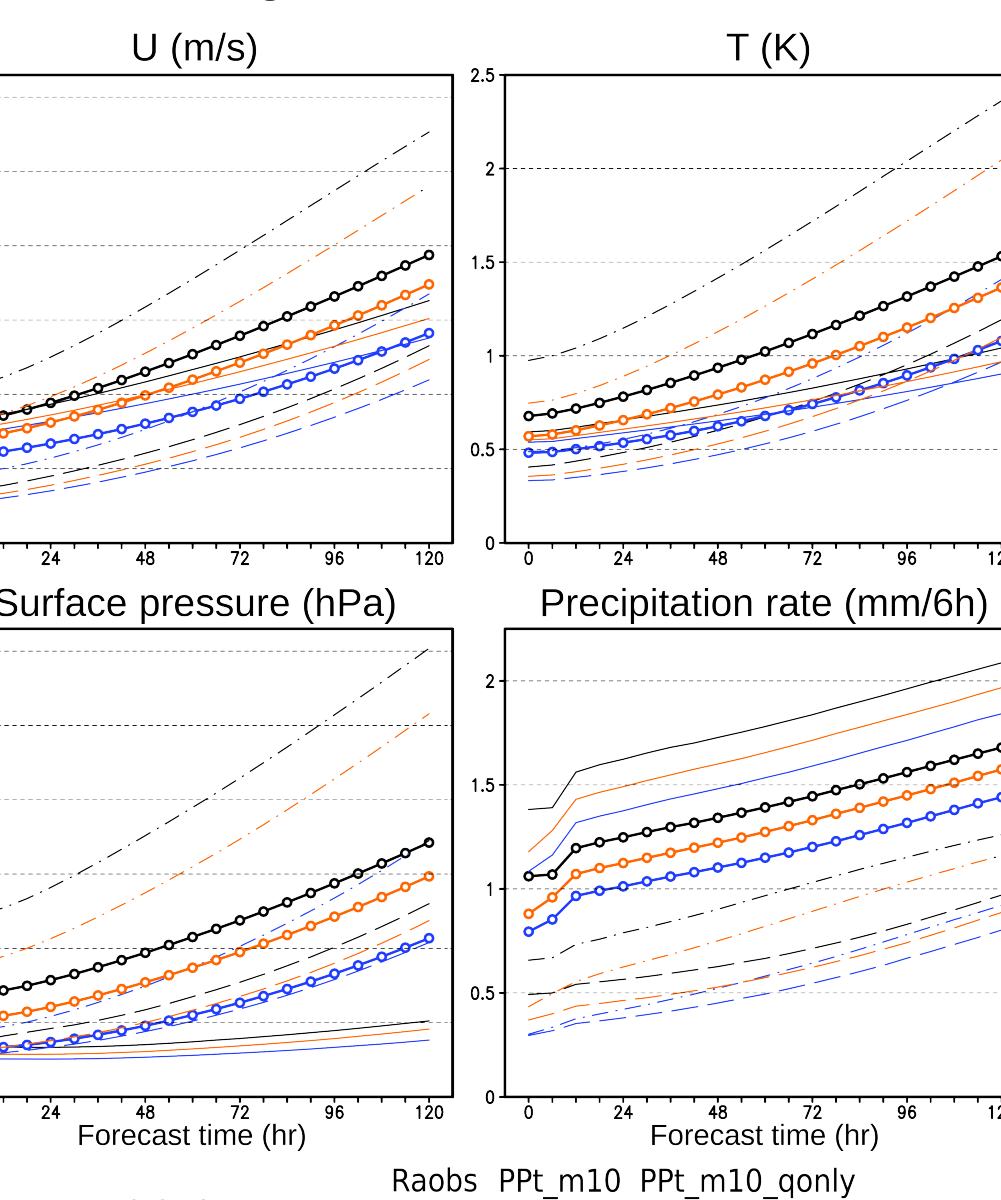
### Observation accuracy



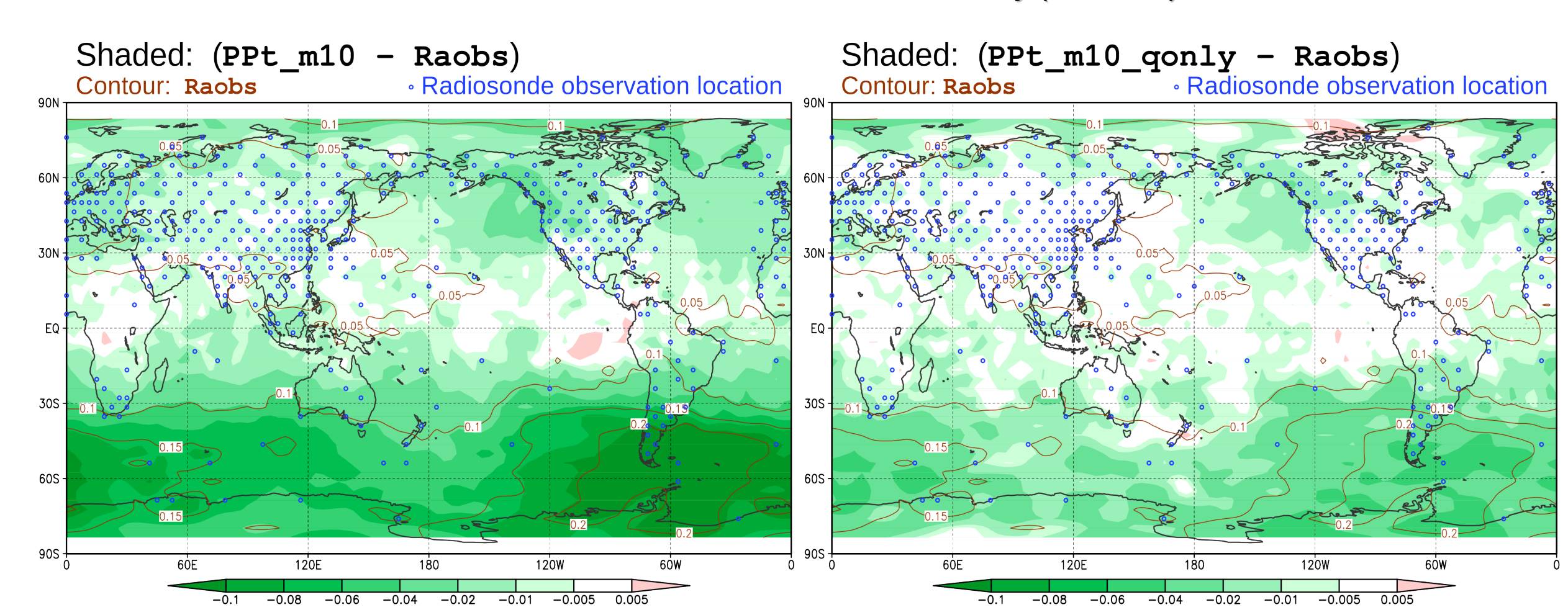
- Other variables show similar results.

## Evolution of averaged forecast errors after the spin-up stage (11-month temporal average from Feb. 1 to Dec. 31)

### Regional average



### Maps of 3-day forecast improvement



- A large portion of improvement by precipitation assimilation comes from southern extratropical regions.

## Conclusion

- Precipitation assimilation with optimal settings substantially reduces the mean analysis errors in the SPEEDY model.
- The improvement from precipitation assimilation remains large throughout the 5-day forecast period.
- Applying the Gaussian transformation in precipitation assimilation lead to a faster spin-up and slightly better analyses and forecasts. The benefit is larger in the case with large observation errors.
- Criterion (ii) of precipitation observation selection (only assimilate values where precipitating members >= 10 in the model first guess) is particularly good for experiments with Gaussian transformation.
- Covariances between precipitation variable and mass/wind fields contain important information. **Only updating the moisture field in precipitation assimilation (PPT\_m10\_q) results in worse analyses and forecasts.**
- Applying smaller localization scale for precipitation assimilation is also beneficial to the spin-up.
- A large portion of improvement by precipitation assimilation comes from southern extratropical regions. It prevents the initial errors over the radiosonde-sparse areas from spreading out to the entire southern hemisphere.
  - Northern extratropical regions are also improved, but the improvement in tropical regions is very small.
- Future work:
  - Study the structure of forecast error covariance.
  - Application of 4D-LETKF / ensemble smoother / running in place (RIP; Yang et al. 2012).